

# Constructing Similar Triangles

If you double, or triple, or quadruple the lengths of the sides of a figure, how many of the originals will fit inside the enlargement?

Here's a way to explore this question.

- 1 Use tiles or graph paper to make squares of various sizes. How many of one size fit inside a square that has **twice** the side length? Does your answer depend on how large the smaller square is (as long as the larger has twice the side length)?

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- 2 What if the larger square's sides are **triple** the lengths of the smaller one's sides? How many of the smaller fit inside the larger? Does your answer depend on how large the smaller square is?

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- 3 What if the larger square's sides are **four times** the length of the smaller one's sides? How many of the smaller fit inside the larger?

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- 4 Can you predict the results for five times the side lengths? **10 times** the side lengths?  **$n$**  times the side lengths?

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- 5 Try to find a way to check tripling the lengths of the sides for rectangles or triangles. Does it work?

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